Spallative-cavitative ablation is a main mechanism of removal of matter by ultrashort laser pulse in case of any substances (metals, semiconductors, dielectrics) and any light wavelength

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Motivation

Toolbox:

- Ultrashort IR, **viz**. lasers $hv \sim 1eV$, pulse duration τ_L from few cycles
- Fs-ps XUV X-ray lasers hυ~0.1-10 keV :
- 1) Transient-collisional scheme
- 2) High order harmonic generation by fs IR, viz. laser
- 3) X-ray free electron laser, XFEL

Applications:

Surface micromachining, Nano-particle synthesis, Mass-spectrometry, etc

Mo/Si multilayer spherical mirror (f = 525 mm) 2° (X-ray laser beam Ag target

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Fundamental Problems:

- (1) Electron-ion non-equilibrium states with highly excited electron subsystem, two-temperature warm dense matter(2T WDM)
- (2) Metastable decay, foaming, nanostructuring

Physical processes

- **Two-temperature WDM**
- Absorption : $hv \rightarrow$ electrons (IR,viz. v. X-ray)
- Electron-electron relaxation
- Electron-ion relaxation
- Metastable decay
- Hydrodynamics :
- Expansion,
- Transition to metastable state,
- Nucleation

 (in solid state
 v. in liquid state)



Optical absorption

- IR, viz. versus XUV-X-ray
- IR, viz. lasers have photons with energies hv ~
 energy of the valence bands, while the X-ray quanta ionizes the internal shells
- Metals
- Semiconductors and dielectrics :
- Multi-photon ion-n
- Tunnel ionization
- Keldysh expression
- Electron impact ionization and avalanche



X-ray absorption

- X-ray photons knock out electrons from the deep levels making holes in the internal shells
- Appearance of
 deep holes triggers
 the Auger
 processes
- While appearance of energetic electrons starts impact ionization



This picture is drawn for substances with the gap. Similar scheme is applicable to metals. In metals energetic electrons finally transfer their energy to conductivity electrons



(1) Impact ionization starts immediately with the pulse = we have not wait when ionized electrons accumulate enough energy by inverse Bremsstrahlung to overcome the gap (no significant inverse Bremsstrahlung absorption), (2) no avalanche, (3) energy conservation

- Attenuation
 depth varies in
 a wide range
 with hv.
- Photon energy of the Ag X-ray laser is between the L-edges for Al and Si. Therefore the attenuation depths for Al (37 nm) and Si (590 nm) are very different.
- Taken from Henke

Attenuation depth



Equations

 We exclude short stage when electrons are non-Maxwellian.
 The equations are written for electron and ion subsystems which may be described by average concentration of free electrons and two temperatures Te and Ti.



Equations

- We have considered ablation of LiF dielectrics by X-ray laser with 89.3 eV photons and short pulse duration 7 ps
- Electron and phonon thermal conductivity and ambipolar diffusion may be neglected for our time interval <100 ps
- Potential energy of holes u_{i2} was taken ~ Δ width of the gap
- Electron impact frequency υ_{imp} was taken from [Biberman, Vorobyev, Yakubov, 1987; Sobelman, Vainshtein, Yukov,2007]
- $E^{sum}_{e} = n_{e} u_{i2} + E_{e}$. $dot E_{ei} = A E_{e}$, $A \sim 3*10^{11} \text{ s}^{-1}$
- The coefficient of three-body recombination k₃ was calculated from condition of detailed equilibrium

$$\begin{split} \rho^{o} \frac{\partial E_{e}^{sum} / \rho}{\partial t} &= -\frac{\partial q_{e}}{\partial x^{o}} - p_{e} \frac{\partial u}{\partial x^{o}} - \frac{\rho^{o}}{\rho} \dot{E}_{ei} + \frac{\rho^{o}}{\rho} Q, \\ \frac{\partial n_{e}}{\partial t} &= -\frac{\rho}{\rho^{o}} \frac{\partial j}{\partial x^{o}} - \frac{\rho}{\rho^{o}} n_{e} \frac{\partial u}{\partial x^{o}} + \frac{Q}{u_{i2}} + \nu_{imp} n_{e} - k_{3} n_{e}^{3} - \nu_{ph} n_{e} \frac{\partial u}{\partial x^{o}} + \frac{Q}{u_{i2}} + \nu_{imp} n_{e} - k_{3} n_{e}^{3} - \nu_{ph} n_{e} \frac{\partial u}{\partial x^{o}} + \frac{Q}{u_{i2}} + \nu_{imp} n_{e} - k_{3} n_{e}^{3} - \nu_{ph} n_{e} \frac{\partial u}{\partial x^{o}} + \frac{Q}{u_{i2}} + \nu_{imp} n_{e} - k_{3} n_{e}^{3} - \nu_{ph} n_{e} \frac{\partial u}{\partial x^{o}} + \frac{Q}{u_{i2}} + \nu_{imp} n_{e} - k_{3} n_{e}^{3} - \nu_{ph} n_{e} \frac{\partial u}{\partial x^{o}} + \frac{Q}{u_{i2}} + \nu_{imp} n_{e} - k_{3} n_{e}^{3} - \nu_{ph} n_{e} \frac{\partial u}{\partial x^{o}} + \frac{Q}{u_{i2}} + \nu_{imp} n_{e} - k_{3} n_{e}^{3} - \nu_{ph} n_{e} \frac{\partial u}{\partial x^{o}} + \frac{Q}{u_{i2}} + \nu_{imp} n_{e} - k_{3} n_{e}^{3} - \nu_{ph} n_{e} \frac{\partial u}{\partial x^{o}} + \frac{Q}{u_{i2}} + \nu_{imp} n_{e} - k_{3} n_{e}^{3} - \nu_{ph} n_{e} \frac{\partial u}{\partial x^{o}} + \frac{Q}{u_{i2}} + \nu_{imp} n_{e} - k_{i3} n_{e}^{3} - \nu_{ph} n_{e} \frac{\partial u}{\partial x^{o}} + \frac{Q}{u_{i2}} + \nu_{imp} n_{e} \frac{\partial u}{\partial x^{o}} + \frac{Q}{u_{i3}} + \frac{Q}{u_{i4}} + \frac{$$

Equations averaged at the attenuation depth

 For dielectrics thermal conduction and diffusion are small – we can neglect them at our time scale. The averaged equations are

$$dn_e/dt = Q/u_{i2} + \nu_{imp}n_e - \kappa_{rec}n_e^3, \quad Q = (F/(\sqrt{\pi}d_T\tau))\exp(-t^2/\tau^2),$$

$$dE_e^s/dt = Q - \dot{E}_{ea}, \quad E_e^s = n_e u_{i2} + E_e, \quad E_e = (3/2)n_e T_e,$$

 $CdT_{at}/dt = \dot{E}_{ea}, \quad C \approx 6k_B n_c, \quad n_c \approx 6 \cdot 10^{22} \,\mathrm{cm}^{-3}, \quad \dot{E}_{ea} = AE_e,$

Increase and decrease of free electron population and electron temperature Te

• Pulse duration 7 ps, $F_{abs} = 10 \text{ mJ/cm}^2$, hv=89.3 eV

Att. depth LiF=28 nm

$$dn_e/dt = Q/u_{i2} + \nu_{imp}n_e - \kappa_{rec}n_e^3, \quad Q = (F/(\sqrt{\pi}d_T\tau))\exp(-t^2/\tau^2),$$
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Increase of temperature Ti and pressure by absorption of X-ray pulse

 Simulations show that temperature and pressure rise approximately follows X-ray laser pulse



Generation of acoustic wave



Short versus long pulses

To have
significant
mechanical
effect the large
pressures are
necessary

Maximum pressure is defined by energy absorbed during acoustic response time t_s = $d_T / c_s \sim 10$



Therefore short pulses are more effective in creation of high pressures

Short pulse X-ray laser creates tensile stress

- Examples with two-temperature hydrodynamic simulation and one-temperature molecular-dynamics (MD) simulation
- We have used power density dotE_{ea} calculated by 2T code as input for MD simulation



Short pulse X-ray laser creates tensile stress

 Temperature field is "frozen" and does not change significantly at acoustic time scale when acoustic wave travels out from laser energy absorption layer

- Above we have considered:
- Absorption of X-ray photons
- Thermalization of electron subsystem
- Two-temperature
 equations describing electron-ion temperature relaxation and hydrodynamic motion
- Now we can conclude : Short pulse X-ray laser creates tensile stress
- The amplitude of the tensile stress 8-10 kbar is enough to trigger the spallative ablation
- Material strength for PMMA = 8 kbar, Krasyuk, Vovchenko et al., 2009

Experiments with spallative ablation by X-ray laser

1 laser shots $E = 5 \text{ mJ/cm}^2$, 8.5x10⁸ W/cm²

3 laser shots $E = 5 \text{ mJ/cm}^2$, 8.5x10⁸ W/cm²

Pico-second XRL ablation shows drastic decrease of ablation threshold of energy fluency

"Contact interface" between laser initiation and development of the tensile field

- Short laser pulse creates stretching and tensile stress
- Laser may be or optical,
 or -as was shown above the X-ray laser
- P<0 is the reason for nucleation-foamingnanostructure formation
- For optical lasers this has been shown previously
- Now we extend this to the case of X-rays

Nucleation in solid state versus nucleation in liquid state

- To produce foaming and nanostructures melting is necessary. This is the first condition
- The second condition is: to produce nanostructures we have to be near the ablation threshold, because motion should be slow down significantly to allow to weak surface tension forces to create nanostructures
- Two-temperature hydrodynamic and moleculardynamics simulations show that at the ablation threshold LiF nucleates in solid state
- We can rise fluence and melt LiF but then the second condition will be violated

To find substance with Fm<Fabl

- As was said above to produce surface nanostructures it is necessary to have (condition 2) near threshold spallative ablation in (condition 1) molten material
- Our estimates show that Al is good candidate for this.
- It has small attenuation depth (37 nm, Henke) for our Ag X-ray laser 89.3 eV
- And strong solid state as was shown in our previous simulation s. Therefore for Al : the condition (1)
 Fm<Fabl is fulfilled

Examples of nanostructuring by optical lasers

Our MD simulations and experiment done by Vorobyev and Guo, 2007

Melting, freezing – the spallative plate keeps it connection with target Al

Nucleation, foaming and nanostructuring in molten layer of Al. The spallative plate loses its connection with target

Rear-side spallation and processes in two-temperature layer

 Non-trivial pressure wave: two-temperature relaxation, fast melting, rarefaction, expansion of molten layer supporting pressure

80

Nucleation and foaming in Au

Ablation of Gold irradiated by 100 fs laser pulse with 0.2 J/cm2. From top to bottom: map of density, velocity, local atomic order, and dynamical decomposition among 2048 CPUs

Ablation of Gold irradiated by 100 fs laser pulse with 0.2 J/cm2. From top to bottom: map of density, velocity, local atomic order, and dynamical decomposition among 2048 CPUs

Conclusion

- Short X-ray pulse produces tensile stress (theory)
- Experiments show that X-ray ablation with low threshold exists
- Then X-ray laser may produce spallative ablation as it is now well known for optical short pulse lasers
- Near ablation threshold this may (if the X-ray $F_m < F_{abl}$) cause nanostructuring

1.2

Equation of state (EoS)

- EoS is necessary to simulate energy absorption (heating) together with dynamics
- We compare EoS for LiF and Al from the cite ..\rusbank created by Khishchenko, Lomonosov, Levashov, Fortov, et al
- In our form of presentation equations only P_{at} and E_{at} used
- P_{at} = G*E_{at} and P_{at}(rho, T=0) are similar for LiF and Al (G=Grueneisen parameter)
- Therefore we use EOS fo Al to simulate LiF
- The only open question concerns the material strength for LiF
- LiF is brittle material –its strength should be small in comparison with metals

Spallative mechasim: how it works

- (1) Temperature rise it should be fast! How fast? Faster than sonic relaxation
- (2) Pressure rise
- Image: (3) Acoustic relaxation: decomposition into waves → wave reflection from vacuum boundary of a plane target → reflection creates negative pressures (tensile stress)
- (4) Strength of material: ability to resist to stretching and tensile stress. Limiting strength. Sharp ablation threshold

(1), (2) Fast temperature rise. If it is fast then P also increases laser is $\mathbf{d}_{\mathbf{T}}$ time is t_s Т, р tau smaller than $\mathbf{X} = \mathbf{0}$

(3) D'Alembert waves

Acoustic decomposition: solutions of the wave equation d_{tt}P - c²d_{xx}P=0 : P=P₊(x+c*t)+P_(x-c*t)
 Reflection from boundary with vacuum: therefore there are three waves: left, right, and reflected

(4) Limiting strength of material

- P_{tensile} |_{limiting.} This is why there is a sharp threshold F_{abl} for spallative ablation
- Rupture takes place at a finite depth under vacuum boundary, therefore a finite piece of removed (=ablated) material appears

(IR-visible) laser \rightarrow metals or dielectrics

- Introduction of spallative ablation (Inogamov et al., 1999) solves the puzzle of Newton rings observed in pump-probe experiments at all metals and semiconductors (universality of this phenomenon), Sokolowski-Tintev, von der Linde, et al., 1998
- Owing to this mechanism combination of twotemperature physics together with thermodynamic properties of condensed material becomes important
 The mechanism explains existence of sharp ablation
- threshold
- The laser plume has unusual shape with flying cupola around liquid-vapor mixture. Cupola remains in condensed state. Therefore density profile in the plume is non-monotonous
- Near threshold irradiation forms nanorelief at surface

X-rays \rightarrow dielectrics

- Our case is: 90 eV photons, tau_L = 7 ps, Fluence = 5 - 10 mJ/cm²
- Absorption, attenuation length in LiF is 28 nm
- Photoionization, primary ions are single charged (Z=1) Li 1s2s, F 1s² 2s 2p5. Z mainly =1 because ion concentration is low (~1%)
- Auger recombination from primary ions to Z=1 ions with a hole at external electronic shell

Kinetics of secondary ions ui2

 Ions gradually disappear as result of cooling of initially hot electron subsystem due to energy transfer to colo

 $dn_{e}/dt = Q/u_{i2} + \nu_{imp}n_{e} - \kappa_{rec}n_{e}^{3}, \quad Q = (F/(\sqrt{\pi}d_{T}\tau_{L}))\exp(-t^{2}/\tau_{L}^{2}),$

$$dE_{e}^{s}/dt = Q - \dot{E}_{ea}, \quad E_{e}^{s} = n_{e}u_{i2} + E_{e}, \quad E_{e} = (3/2)n_{e}T_{e},$$
$$CdT_{at}/dt = \dot{E}_{ea}, \quad C \approx 6k_{B}n_{c}, \quad n_{c} \approx 6 \cdot 10^{22} \text{ cm}^{-3}, \quad \dot{E}_{ea} = AE_{e},$$

- Q/u_{i2} is a X-ray source of free electrons, nu_{imp} =<v*sigma>n_{at} is a frequency of ionization by an electron impact, kappa_{rec} is a coefficient of three body recombination
- E_e^s is total energy of electron subsystem, it is a sum of potential and thermal energies
- dot E_{ea} is an energy exchange rate between atomic and electron subsystems. This is the only term taking away energy of electron subsystem – radiation loses are small at our time scale

Energy transfer from X-ray photons to atoms through electronic subsystem

- Increase and decrease of free electron population: influence of ionic potential u_{i2} is rather small, while influence of the coefficient A in dot_E_{ea}=A*E_e is rather significant. The rate dot_E_{ea} is connected with almost elastic collisions of the conductivity band electrons with atoms
- This is solution of ODE for $\{n_e, T_e\}$ neglecting acoustic effects

Combination of kinetic, thermal, and sonic effects

$$\begin{split} \rho^{o} \frac{\partial}{\partial t} \frac{E_{e}}{\rho} &= \frac{\rho^{o}}{\rho} Q - \frac{\rho^{o}}{\rho} \dot{E}_{ea} - p_{e} \frac{\partial u}{\partial x^{o}} + \frac{\partial}{\partial x^{o}} \left(\frac{\rho \kappa_{e}}{\rho^{o}} \frac{\partial T_{e}}{\partial x^{o}} \right) \\ \rho^{o} \partial u / \partial t &= -\partial p / \partial x^{o} \end{split}$$

$$\rho^{o}\partial(E_{at}/\rho)/\partial t = (\rho^{o}/\rho)\dot{E}_{ea} - p_{at}\partial u/\partial x^{o} + (\partial/\partial x^{o})((\rho\kappa_{at} \rho^{o})\partial T_{at}/\partial x^{o})$$

System of hydrodynamic equations: two thermal eqs. for E_e and E_{at} and eq. for momentum

 $E_e = Q - AE_e$

- We neglect here equation for ne
- Corresponding space homogeneous eq. :
- We call this eq. {Ee}
- It has main terms: X-ray heating Q and $e \rightarrow$ a cooling

 $\begin{array}{l} \begin{array}{l} \displaystyle \operatorname{Comparison of} \left\{ \begin{array}{l} \operatorname{ne} \operatorname{Te} \right\} \text{ and } \left\{ \begin{array}{l} \displaystyle \operatorname{Ee} \right\} \text{ ecs} \\ \displaystyle dn_e/dt = Q/u_{i2} + \nu_{imp}n_e - \kappa_{rec}n_e^3, \quad Q = (F/(\sqrt{\pi}d_T\tau_L))\exp(-t^2/\tau_L^2), \\ \displaystyle dE_e^s/dt = Q - \dot{E}_{ea}, \quad E_e^s = n_e u_{i2} + E_e, \quad E_e = (3/2)n_eT_e, \\ \displaystyle CdT_{at}/dt = \dot{E}_{ea}, \quad C \approx 6k_Bn_c, \quad n_c \approx 6 \cdot 10^{22} \ \mathrm{cm}^{-3}, \quad \dot{E}_{ea} = AE_e, \end{array}$

$$\dot{E}_e = Q - AE_e$$

The worst case with small A and therefore slow e-a energy transfer is shown. Conclusion from this comparison is: the {Ee} approach may be used for estimates of pressure amplitudes

Experimental results

- low! Only 10 mJ/cm². To understand that this

Conclusion

Experimentally very low ablation threshold has been found

Theory explains this as transition from evaporative to spallative ablation